Formulae Sheet

This sheet contains the full list of all health indicators required at MBBS level, for PG Entrance and USMLE.

In the rates and ratios the multiplier can be changed as needed.

I. Morbidity Indicators

Incidence rate = New cases arising in a defined period ×1000 (per unit of time) Persons at risk

Incidence rate (per 1000 person-years) = $\frac{\text{New cases}}{\text{Person-years of observation}} \times 1000$

Prevalence rate = Existing cases at a point (or period) of time ×1000 Persons at risk Prevalence rate = Incidence rate × Average duration of disease (under stable conditions)

 $Infectivity = \frac{Infected}{Susceptibles exposed}$

Pathogenecity = -

Cases who develop disease

Infected Virulence = Cases developing serious condition (including mortality)

Cases with disease

 $Case-fatality rate = \frac{Deaths}{Cases with disease}$

Attack rate = $\frac{\text{Spells (or episodes)}}{\text{Persons at risk}} \times 100 \text{ (per unit of time)}$

New spells out of the denominator ×100 Secondary attack rate (SAR) = Susceptibles exposed to the primary case during infectious period

II. Mortality Indicators

(Numerator and denominator measured for the same period – generally one year)

Still birth ratio = $\frac{\text{Still births}}{\text{Live births}} \times 1000$

Still birth rate =	Still births Still births+Live births		×1000
Early neonatal mortality rate =		T	Sees his

days of life ×1000

Perinatal mortality ratio (PMR) = $\frac{\text{Still births + Deaths within 7 days of life}}{\text{Linchiate}} \times 1000$ Live births

Perinatal mortality rate = $\frac{\text{Still births + Deaths within 7 days of life}}{\text{Still births + Live births}} \times 1000$

Late neonatal mortality rate = $\frac{\text{Deaths during 7 to } < 28 \text{ days of life}}{\text{Live births}} \times 1000$ Neonatal mortality rate (NMR) = $\frac{\text{Neonatal (<28 days) deaths}}{\text{Live births}} \times 1000$

Postneonatal mortality rate = $\frac{\text{Postneonatal (28 to <365 days) deaths}}{\text{Live births}} \times 1000$

Infant mortality rate (IMR) = $\frac{\text{Infant (<365 days) deaths}}{\text{Live births}} \times 1000$

Child mortality rate = $\frac{\text{Deaths of children of age} < 5 \text{ years}}{\text{Constitution}} \times 1000$ Live births (Also called under-five mortality rate - U5MR)

Maternal mortality ratio (MMR) = $\frac{\text{Deaths of women due to pregnancy and childbirth}}{\text{Maternal mortality ratio}} \times 1000$ Live births

Proportional death rate (<5 years) = Deaths of children of age <5 years Proportional death rate ($\ge 60 \text{ years}$) = $\frac{\text{Deaths of persons of age } \ge 60 \text{ years}}{\text{All deaths}}$

Crude death rate (CDR) = $\frac{\text{Deaths}}{\text{Mid-year population}} \times 1000$

Deaths in specific age-group Age-specific deaths rate = Mid-year population in that age-group

Deaths due to the specific cause ×1000 Cause-specific death rate = Mid-vear population

650

Standardized death rate (direct and indirect): See glossary (no formula)

Standardized mortality ratio: See glossary (no formula)

Expectation of life at birth (ELB): See glossary (no formula)

Expectation of life at any other age: See glossary (no formula) Healthy expectation of life: See glossary (no formula)

Disability-free life expectancy (DFLE): See glossary (no formula)

Health-adjusted life expectancy (HALE): See glossary (no formula)

(Numerator and denominator measured for the same period - generally one year)

Disability-adjusted life expectancy (DALE): Same as HALE

Disability-adjusted life years (DALY): See glossary (no formula)

III. Fertility Indicators

Birth rate = $\frac{\text{Live births}}{\text{Mid-year population}} \times 1000$

General fertility rate (GFR) = $\frac{\text{Live births}}{\text{Females of reproductive age-group (15-49 years)}} \times 1000$

Age-specific fertility rate = $\frac{\text{Live births to women of particular age-group}}{\text{Women of that age-group}} \times 1000$

Total fertility rate (TFR): See glossary (no formula)

Gross reproduction rate (GRR): See glossary (no formula)

Net reproduction rate (NRR): See glossary (no formula)

Couple protection rate = $\frac{\text{Eligible couples using contraceptives}}{\text{Eligible couples}} \times 100$

Births averted: See text (no formula)

IV. Demographic and Social Indicators

Dependency ratio = $\frac{\text{Persons of age } < 15 \text{ and } \ge 60 \text{ years}}{\text{Persons of age } 15-59 \text{ years}} \times 100$

Sex ratio = $\frac{\text{Females}}{\text{Males}} \times 1000$

Literacy rate = Literates of age ≥7 years Population of age ≥7 years

Natural growth rate of population = Birth rate - Death rate

Doctor-population ratio = $\frac{\text{Doctors}}{\text{Population}} \times 1000$, or $\frac{\text{Population}}{\text{Doctors}}$ (both are used)

Bed-population ratio = $\frac{\text{Beds}}{\text{Population}} \times 1000$, or $\frac{\text{Population}}{\text{Beds}}$ (both are used)

Bed-occupancy rate = $\frac{\text{Patient-days that beds are occupied}}{\text{Patient-days of all beds}} \times 100$

Average duration of stay = $\frac{\text{Total patient-days of stay}}{\text{Number of patients admitted}}$

 $Water coverage = \frac{Population with access to safe water}{Total population} \times 100$

Sanitation coverage = $\frac{\text{Population with access to sanitation facilities}}{\text{Notice of the population of the populati$ Total population

Immunization coverage = Children fully immunized Total children (generally for children of age <2 year Can be calculated separately for each immunization also.

Average age at effective marriage: See text (no formula)

Divorce rate = $\frac{\text{Divorces}}{\text{Marriages}} \times 100$ Sex outside marriage: See text (no formula)

Smoking index: See glossary (no formula)

Accident death rate = $\frac{\text{Deaths due to accidents}}{\text{Total deaths}} \times 1000$

V. Statistical Summaries

Mean (ungrouped data) = $\frac{\sum x}{n}$

Mean (grouped data) = $\frac{\Sigma fx}{\Sigma f}$ (also called 'Weighted mean')

Median: Arrange in ascending order

 $\left(\frac{n+1}{2}\right)$ th value if *n* is odd, and average of $\left(\frac{n}{2}\right)$ th and $\left(\frac{n+1}{2}\right)$ th value if *n* is even

Mode: See glossary (no formula)

kth percentile = $\left(\frac{k \times n}{100}\right)$ th value after arranging in ascending order

kth quartile = $\left(\frac{k \times n}{A}\right)$ th value after arranging in ascending order

kth tertile = $\left(\frac{k \times n}{3}\right)$ th value after arranging in ascending order

Range = Maximum value - Minimum value

Standard deviation (SD): Population,
$$\sigma = \sqrt{\frac{\Sigma(x-\mu)^2}{n}}$$
, Sample, $s = \sqrt{\frac{\Sigma(x-\overline{x})^2}{n-1}}$

Variance: Remove square root sign from the formula of SD, or square of SD

VI. Strength of Association/Correlation

Relative risk = Incidence rate among exposed Incidence rate among nonexposed

Attributable risk = Incidence rate among exposed – Incidence rate among nonexposed

 $Odds \ ratio = \frac{Cases \ with \ exposure/Cases \ without \ exposure}{Controls \ with \ exposure/Controls \ without \ exposure}$

Correlation coefficient =
$$\frac{\sum (x - \overline{x})(y - \overline{y})/(n - 1)}{s_x \times s_y}$$
VII. Confidence Intervals

Confidence interval for population mean μ (σ known)

$$(\overline{x} - z_{n/2}\sigma/\sqrt{n}, \overline{x} + z_{n/2}\sigma/\sqrt{n})$$

For 95% confidence, $z_{\alpha/2} = 1.96 = 2$ approximately

.Confidence interval for population mean
$$\mu$$
 (σ not known) $(\overline{x} - t_{\nu\alpha/2}s/\sqrt{n}, \overline{x} + t_{\nu\alpha/2}s/\sqrt{n})$, where $\nu = n - 1$

Confidence interval for population proportion π (large n)

$$\left(p-z_{\alpha/2}\sqrt{\frac{pq}{n}}, p+z_{\alpha/2}\sqrt{\frac{pq}{n}}\right)$$

where q = 1-p. For 95% confidence, $z_{\alpha/2} = 1.96 = 2$ approximately

Confidence interval for difference in population mean
$$\mu_1 - \mu_2$$
 (σ not known)
$$\left\{ \left(\overline{x_1} - \overline{x_2} \right) - t_{v,\alpha/2} s_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}, \left(\overline{x_1} - \overline{x_2} \right) + t_{v,\alpha/2} s_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}} \right\},$$

where
$$s_p = \sqrt{\frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{n_1 + n_2 - 2}}$$
, and $v = n_1 + n_2 - 2$

Confidence interval for difference in population proportion $\pi_1 - \pi_2$ (large n_1 and n_2)

$$\left\{ (p_1 - p_2) - z_{\alpha/2} \sqrt{\frac{p_1 q_1}{n_1} + \frac{p_2 q_2}{n_2}}, (p_1 - p_2) + z_{\alpha/2} \sqrt{\frac{p_1 q_1}{n_1} + \frac{p_2 q_2}{n_2}} \right\},$$
where $q_1 = 1 - p_1$, $q_2 = 1 - p_2$. For 95% confidence $z_{\alpha/2} = 1.96 = 2$ approximately

VIII. Criteria for Test of Hypothesis

One-sample t-test: $t = \frac{\overline{x} - \mu_0}{\sqrt{n}}$ with v = (n-1) df

One-sample *t*-test:
$$t = \frac{1}{s} \sqrt{n}$$
 with $v = (n-1)$ ay

Two-sample t-test (unpaired):
$$t = \frac{\overline{x_1} - \overline{x_2}}{s_p \sqrt{\frac{1}{n} + \frac{1}{n}}}$$
, with $v = (n_1 + n_2 - 2) df$

o-sample *t*-test (unpaired):
$$t = \frac{1}{s_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}}$$
, with

$$s_p \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}$$

where $s_p = \sqrt{\frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{n_1 + n_2 - 2}}$

Paired t-test:
$$t = \frac{\overline{d}}{s_d / \sqrt{n}}$$
 with $v = (n-1) df$

Proportion test:
$$z = \frac{p_1 - p_2}{\sqrt{p_1 q_1} + p_2 q_2}$$
, where $q_1 = 1 - p_1$ and $q_2 = 1 - p_2$

Chi-square test:
$$\chi^2 = \Sigma \frac{(O-E)^2}{F}$$
 with $(r-1)\times(c-1)$ df

Sign test: See text (no formula)

Wilcoxon signed rank test: See text (no formula)

Wilcoxon rank sum test: See text (no formula)

Mann-Whitney test: See text (no formula)